An Admittance-Controlled Robotic Assistant for Semi-Autonomous Breast Ultrasound Scanning

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Abstract—Ultrasound imaging has been shown to successfully diagnose and provide visual assistance during treatment of breast cancer. However, human operators (i.e., technicians and clinicians) provide limited repeatability when performing the imaging scans. Current state-of-the-art automated breast volume scanners (ABVS) have high repeatability but deform the breast tissue significantly, which is undesirable for percutaneous therapies such as brachytherapy. A semi-autonomous system is presented here which leverages the accuracy of a serial manipulator-design robotic assistant to maintain the ultrasound probe at an optimal angle and ensure stable contact with minimal tissue deformation. Positioning of the probe across the surface of the breast is left in the hands of the human operator and is enabled through an admittance controller for the robot. A feasibility study is performed through a comparison of imaging quality for ultrasound scans of a simulated seroma in a phantom tissue when performed with human-in-the-loop and fully-autonomous modalities. The system was evaluated in a user trial showing similar image quality performance to a fully-autonomous position-controlled scanning device.

\begin{equation}
\begin{align*}
\{B\} & \quad \text{Robot Base Frame} \\
\{C\} & \quad \text{3D Scanner Frame} \\
\{S\} & \quad \text{Moving Surface Frame} \\
B^P & \quad \text{Position Vector in Robot Base Frame} \\
C^P & \quad \text{Position Vector in 3D Scanner Frame} \\
S^P & \quad \text{Position Vector in Moving Surface Frame} \\
B^V & \quad \text{Velocity Vector in Robot Base Frame} \\
S^T & \quad \text{Transformation from Surface Frame to Base Frame} \\
B^T & \quad \text{Transformation from Base Frame to Surface Frame}
\end{align*}
\end{equation}

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I. INTRODUCTION

According to current statistics, 1 in 4 Canadian women will be diagnosed with breast cancer in their lifetimes, with breast cancer representing the third most commonly diagnosed cancer in the general population \cite{1}. Ultrasound imaging has shown to be highly effective for diagnosing breast cancers \cite{2}, but has limited repeatability when performed by a technician or clinician. For imaging repeatability, the orientation of the ultrasound probe with respect to tissue should be the same every time the probe passes over a particular point on the surface of the tissue. In addition to diagnostic imaging, ultrasound can be used for interventional imaging during percutaneous (needle-based) therapies, such as breast permanent seed implant brachytherapy (BPSIB) and breast tissue biopsy. Such procedures have been shown to benefit from live ultrasound image feedback to increase needle-tip placement accuracy \cite{3}.

Several innovations exist to address the shortcomings of hand-held ultrasound imaging. Authors in \cite{4} designed and validated a tracked mechanical arm that tracks the position of the ultrasound probe, but provides no actuated robotic assistance to the operator. On the other hand, automated breast volume scanners (ABVS) provide full automation of the scanning process \cite{5}. However, existing ABVS devices, such as \cite{6}, purposely deform (compress) the breast during the ultrasound scan (similar in principle to the technique used for mammography), to enable scan repeatability and automatic volume creation. While this tissue compression in existing ABVS solutions allows for repeatable pre-clinical diagnostic imaging, it makes the ABVS techniques unsuitable for interventional imaging during percutaneous procedures. In particular, in the case of BPSIB, the current workflow involves first scanning the breast to create a treatment planning volume, planning the seed implantation locations and dosimetry based on this volume, and then performing the insertion using ultrasound image feedback \cite{7}, \cite{8}, \cite{9}, \cite{10}, \cite{11}. This workflow relies on the breast remaining relatively undeformed during imaging and seed implantation.

In this work, we propose an ultrasound-scan assistant system which provides the benefits of an ABVS, namely repeatability and accurate position measurement, while keeping the surgeon in the loop by allowing the ultrasound technician or clinician to move the probe as required. In this system, a position controller is used such that the ultrasound probe holding assistant presses the probe to a desired depth below
the surface of the breast during the scan and orients the
probe to conform to the surface shape. The controller is de-
signed to minimize tissue compression during the scan while
maximizing ultrasound image quality. An impedance-based
controller allows for the user-directed movement of the robot
(and probe). For physical human-robot interaction (PHRI)
systems, impedance control strategies are often preferable
to position control. Impedance control is an example of a
basic force control strategy [12], [13]. Impedance controllers
produce a desired force through a predefined relationship
with the motion of the robot, which is typically converted
to torque commands for the robot to carry out. However,
this approach typically requires knowledge of the robot’s
dynamics and dynamics parameters, the latter of which are
not made available for the robot used. In this work, we
instead choose to use an admittance controller. Admittance
controllers produce a desired motion through a predefined
relationship with measured force [13], [14], [15]. Force-
based controllers have seen successful application in assistive
robotics-based medical devices, such as in upper limb robotic
rehabilitation [16], [15] and in teleoperation-based imaging
[17], [18].

The paper is organized as follows. Section II provides
an explanation of the different frames of reference needed
for imaging and robot control. Section III outlines the
controller design that incorporates both human-in-the-loop
input and autonomous robot control. The experimental setup
and results for the feasibility study are presented in Section
IV. Finally, concluding remarks and future directions are
provided in Section V.

II. FRAME TRANSFORMATION AND SURFACE
TRACKING
To implement the admittance controller, three different
frames are used as shown in Fig. 1. The first frame is
the base frame of the robot and is denoted by \{B\}. The
surface (or contour) of the breast can be captured using a
Kinect or other 3D scanner, and the second frame, \{C\}, is
defined as the coordinate system used by the 3D scanning
hardware. The 3D scanning hardware returns the points along
the surface of the breast, \(C\mathbf{P}_c\). Given that the goal of the
admittance controller is to minimize the force exerted by
the ultrasound probe on the breast and thereby minimize
breast deflection during the scan, in this work the forces are
kept low such that we assume that the breast remains
stationary during the scan. Under this assumption, the 3D
scanner frame \(\{C\}\) is registered to the robot base frame \(\{B\}\)
such that the surface contour points \(C\mathbf{P}_c\) are transformed
into the robot base frame, where \(B\mathbf{P}_c = \mathbf{R}_c \mathbf{P}_c\), before
the ultrasound scan begins. After registration, the breast
surface is represented topologically as a smooth 2D surface
embedded in 3D space, such that the surface’s \(z_s\) coordinate
is dependant on its \(x\)-\(y\) coordinates, \(Bz_c = f_c(Bx, By)\), where the values returned by the function \(f_c(Bx, By)\)
are empirically measured by the 3D scanner. For points in the
\(Bx-By\) plane (in the robot base frame) which are not
on the surface of the breast, \(Bx, By \notin C\), the surface
function is clamped to some constant value, \(z_{\text{min}}\), such that
\(f_c(Bx, By) = z_{\text{min}}, \forall Bx, By \notin C\), to define \(f_c\) within
the entire workspace of the robot.

During ultrasound scanning, the scan assistant robot will
be controlled such that the ultrasound probe can move freely
along the surface of the breast, with the probe/tissue contact
force being controlled by the scan assistant, as covered in
Sec. III. To do this, the third frame, \{S\}, is defined as a moving
frame that is constrained to follow the 3D surface of the
breast, with the axes of \{S\} corresponding to the normal
and tangential vectors of the surface. The moving frame
tracks the motion of the ultrasound probe as it is manually
moved and will be used to define the desired orientation
of the ultrasound probe. The desired 6-DoF position and
orientation of the ultrasound probe are given by the vector
\(B_B = [x_d, y_d, z_d, \alpha_d, \beta_d, \gamma_d]^T\), where the \(x_d, y_d,\) and \(z_d\)
components are the origin of the frame \{S\}. Given the \(Bx-By\)
position of the ultrasound probe as it is moved, the origin
of frame \{S\} is given as

\[
Bc_d(x_d, y_d, z_d) = \begin{bmatrix} Bx \\ By \\ Bz_c \end{bmatrix},
\]

such that the desired probe position (and origin of the frame)
is constrained to the 3D surface.

The orientation of \{S\} will be found through using the
normal vector of the surface, \(B\mathbf{n}_c(x_d, y_d, z_d)\), where the
partial derivative vectors

\[
Bc_d(x_d, y_d, z_d) = \begin{bmatrix} 1,0, \partial f_c(Bx, By) \partial x \\ 0,1, \partial f_c(Bx, By) \partial y \end{bmatrix}^T
\]

allow for the calculation of the normal vector

\[
B\mathbf{n}_c(x_d, y_d, z_d) = \frac{Bc_d(x_d, y_d, z_d) \times Bc_d(x_d, y_d, z_d)}{\|Bc_d(x_d, y_d, z_d) \times Bc_d(x_d, y_d, z_d)\|}
\]

using the cross product. During ultrasound scanning, to main-
tain adequate surface contact, the ultrasound probe needs to
push downward on tissue parallel to the normal vector.
Thus, the unit vector along the \(S_z, S\mathbf{n}_z = [0, 0, 1]\), will
point into tissue along the normal vector of the surface.
Utilizing the \(S_z\) unit normal vector and a rotational transfor-
mation, the normal vector can be found. The normal vector
\(B\mathbf{n}_c(x_d, y_d, z_d)\) is defined to be

\[
-\mathbf{n}_c(x_d, y_d, z_d) = \frac{B}{B} R(\alpha_d, \beta_d, \gamma_d)^T S\mathbf{n}_z
= R_z(\gamma_d) \cdot R_y(\beta_d) \cdot R_x(\alpha_d) \cdot S\mathbf{n}_z
= \begin{bmatrix} \cos \gamma_d & -\sin \gamma_d & 0 \\ \sin \gamma_d & \cos \gamma_d & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} \cos \beta_d & 0 & \sin \beta_d \\ 0 & 1 & 0 \\ -\sin \beta_d & 0 & \cos \beta_d \end{bmatrix}
\]

\]

\[
= \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \alpha_d & -\sin \alpha_d \\ 0 & \sin \alpha_d & \cos \alpha_d \end{bmatrix} \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}
\]

\]
A. Admittance Control for PHRI

As mentioned, an admittance controller is used to make the robot compliant and allow the user to adjust the position and orientation of the ultrasound probe. The transfer function of an admittance controller that specifies the desired velocity is given as

$$ G = \frac{\dot{V}_d(s)}{W(s)} = \frac{1}{Ms + B} $$  \hspace{1cm} (8)

where the input to the controller, $W(s) = \begin{bmatrix} \dot{F}(s) \ T(s) \end{bmatrix}^T$, represents the wrench composed of input forces and torques, and the output, $\dot{V}_d(s)$, is the resulting desired velocity, composed of Cartesian and angular terms. $M$ represents the desired mass and inertia matrix assigned to the robot and $B$ represents the desired Cartesian and angular damping matrix. A stiffness parameter is not used as in [19] because restoring forces are not desirable during co-manipulation in free-space. Using the calculated desired velocity in conjunction with a velocity controller, we bypass the need for the robot’s dynamics parameters while enabling adequately responsive force control of the robot.

To ensure the robot is compliant to user input (our controller’s first objective), the user’s interaction forces and torques are measured by a wrist-mounted force-torque sensor and provided as input to an admittance controller. The sensor readings are transformed to the robot frame:

$$ B \tilde{W}_{Sensor} = B_F T F \tilde{W}_{Sensor} $$

where $\tilde{W}_{Sensor}$ represents the wrench read by the sensor and $B_F T$ is the transformation matrix from the sensor frame to the robot base frame.

The admittance controller should allow the user to easily slide the robot along the surface of the tissue (i.e., moving in the $S_x - S_y$ plane) while making it difficult for the user to move the probe in the direction normal to the tissue (i.e., along the $S_z$-axis). The interaction force along the $S_z$-axis should be handled by the robot itself in order to minimize deformation and maximize image quality on a repeatable basis. Similarly, the user should be able to slightly rotate the robot about the horizontal axes, $B_x$ and $B_y$, of the robot base frame to allow for adjustments to the probe’s imaging angle. For these experiments, rotation about the vertical axis, $B_z$, is restricted to simplify the number of parameters the user was responsible for thereby improving repeatability. Thus, the user’s force input should be transformed into frame $\{S\}$, while leaving the torque values unchanged (such that rotations initiated by the user are still made in frame $\{B\}$).

We apply this transformation to Eq. (8) as follows:

\begin{equation}
\begin{align}
\begin{bmatrix} B \dot{V}_{d, User} \end{bmatrix} &= G_{User} \begin{bmatrix} B \tilde{W}_{Sensor} \end{bmatrix} \\
\begin{bmatrix} \dot{V}_{d, User} \end{bmatrix} &= G_{User} B \dot{W}_{Sensor} \\
\begin{bmatrix} \dot{V}_{d, User} \end{bmatrix} &= G_{User} B \dot{W}_{Sensor} \\
\begin{bmatrix} \dot{V}_{d, User} \end{bmatrix} &= G_{User} B \dot{W}_{Sensor} \\
\begin{bmatrix} \dot{V}_{d, User} \end{bmatrix} &= G_{User} B \dot{W}_{Sensor} \\
\begin{bmatrix} \dot{V}_{d, User} \end{bmatrix} &= G_{User} B \dot{W}_{Sensor}
\end{align}
\end{equation}

where $\begin{bmatrix} \dot{V}_{d, User} \end{bmatrix}$ and $G_{User}$ represent the output velocity and admittance matrix associated with the user’s input in...
the robot base frame. The variables with apostrophes represent their transformed versions with only the Cartesian components (i.e., forces) transformed to the frame \( \{S\} \). \( \mathbf{S} \mathbf{T}' \) represents the transformation matrix which performs this rotation for only the Cartesian components. The transformed admittance matrix \( \mathbf{S} \mathbf{T}'^{-1} \mathbf{G}_{\text{User}}' \mathbf{S} \mathbf{T}' \) then provides the desired surface interaction, if \( \mathbf{G}_{\text{User}}' \) is defined as

\[
\mathbf{G}_{\text{User}}' = \begin{bmatrix}
0 & 0 & 0 & 0 & 0 \\
0 & 0 & 0 & 0 & 0 \\
0 & 0 & \epsilon_C & 0 & 0 \\
0 & 0 & 0 & \Omega_A & 0 \\
0 & 0 & 0 & 0 & \epsilon_A
\end{bmatrix}
\]

The admittance parameters in the surface’s tangential directions (i.e., \( \mathbf{S} \mathbf{x} \) and \( \mathbf{S} \mathbf{y} \)), \( \Omega_C \), and for rotation about the robot base frame’s horizontal axes (i.e., \( \mathbf{B} \mathbf{x} \) and \( \mathbf{B} \mathbf{y} \)), \( \Omega_A \), are large values. On the other hand, the admittance parameters in the surface’s normal direction (i.e., \( \mathbf{S} \mathbf{z} \)), \( \epsilon_C \), and for rotation about the robot base frame’s vertical axis (i.e., \( \mathbf{B} \mathbf{z} \), \( \epsilon_A \), are small values\(^2\). Fig. 2 provides a visualization of the transformed admittances in \( \mathbf{G}_{\text{User}}' \).

B. Pose Tracking for Optimal Imaging

To ensure the probe is in contact with the tissue surface and that its orientation is optimal (i.e., normal to the tissue surface), a position error-based input to the velocity controller is used to bring the robot to a desired pose, in relation to its position in the \( \mathbf{B} \mathbf{x} \) and \( \mathbf{B} \mathbf{y} \) axes as mentioned in Section II. A lookup is performed on the reference surface data, providing the desired pose for the robot-end-effector to track, \( \mathbf{B} \mathbf{P}_{\text{Surface}}' = [\mathbf{B} \mathbf{x}, \mathbf{B} \mathbf{y}, \mathbf{B} \mathbf{z}, \mathbf{B} \alpha, \mathbf{B} \beta, \mathbf{B} \gamma]' \). Then we define an error term between the desired pose and the robot’s current pose as

\[
e = \mathbf{B} \mathbf{P}_{\text{Surface}}' - \mathbf{B} \mathbf{P}_{\text{Probe}}'
\]

In order to minimize the error over a period of time, the velocity commanded to the robot, \( \mathbf{B} \mathbf{V}_{d, \text{Pose}} \), can be used as given:

\[
e = \mathbf{B} \mathbf{P}_{\text{Surface}}' - \int_{t_0}^{t} \mathbf{B} \mathbf{V}_{d, \text{Pose}} dt - \mathbf{B} \mathbf{P}_{\text{Probe}}'
\]

Rearranging Eq. (10), we then generate a proportional desired velocity as input into the velocity controller by equating the error to zero:

\[
\mathbf{B} \mathbf{V}_{d, \text{Pose}} = \frac{\mathbf{B} \mathbf{P}_{\text{Surface}}' - \mathbf{B} \mathbf{P}_{\text{Probe}}'}{t - t_0} = K \left( \mathbf{B} \mathbf{P}_{\text{Surface}}' - \mathbf{B} \mathbf{P}_{\text{Probe}}' \right)
\]

Here, \( K \) is a matrix of gains\(^3\) that describe the desired duration of movement needed to match the desired position, given as

\[
K = \begin{bmatrix}
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\quad & \quad & \quad & \quad & \quad & \quad \\
\end{bmatrix}
\]

Finally, the command velocity for the robot’s velocity controller is given through the combination of Eq. (9) and (11):

\[
\mathbf{B} \mathbf{V}_{d} = \mathbf{B} \mathbf{V}_{d, \text{User}} + \mathbf{B} \mathbf{V}_{d, \text{Pose}}
\]

A block diagram of the control loop incorporating both the human-in-the-loop and autonomous elements is presented in Fig. 3.

IV. EXPERIMENTAL SETUP AND RESULTS

During the experiments, the robotic assistance system will be used to aid a user in a simulated pre-planning breast brachytherapy scanning procedure. The ultrasound transducer, see Fig. 4, was connected to a Gamma-Net force/torque sensor (ATI Industrial Automation, Apex, NC, USA) and was mounted on a Motoman SAI-5F robot (Yaskawa America Inc, Miamisburg, OH, USA). The ultrasound machine used for the experiments was an Ultrasonix Touch with a 4DL14-5/38 Linear 4D transducer (Ultrasonix Corp, Richmond, BC, Canada). For these experiments, only the 2D imaging functionality of the ultrasound probe was used. The image processing and admittance controller were programmed and implemented in Matlab 2017a (The Mathworks Inc, Natick, MA, USA) and ran using the Simulink Real-Time environment, on an Intel Core i7-3930K running at 3.20 GHz (Intel Corporation, Santa Clara, CA, USA). A phantom tissue sample of a breast with an underlying seroma was used as the imaging target. The phantom tissue is created by placing a water-filled pocket inside a plastisol phantom (M-F Manufacturing Co, Fort Worth, USA).

\(^2\)Experimental values of the admittance parameters as described in Eq. (8) were selected as \( (M, B)_{\Omega_C} = (0.01 \frac{N}{mm}, 0.5 \frac{N}{mm}) \), \( (M, B)_{\epsilon_C} = (0.03 \frac{Ns}{rad}, 1.5 \frac{Ns}{mm}) \), \( (M, B)_{\Omega_A} = (0.1 \frac{Ns}{rad}, 1 \frac{Ns}{mm}) \), and \( (M, B)_{\epsilon_A} = (1.5 \frac{Ns}{mm}, 15 \frac{Ns}{mm}) \).

\(^3\)Experimental values of the position error gains were selected as \( k_x = k_y = k_z = k_\alpha = k_\beta = k_\gamma = 0.5 \text{s}^{-1} \) through trial and error.
The robotic ultrasound scanning assistant is designed to assist clinicians and medical imaging personnel through ensuring proper ultrasound/tissue contact and transducer orientation so that high-quality ultrasound scans of breast tissue can be performed with minimal manual effort. To evaluate this, a proof-of-concept study was performed to measure imaging quality achieved when a lay user is assisted with an ultrasound scan by the system.

A set of “ideal” ground-truth ultrasound images $G_{US}(px,py)$ of the breast phantom were captured before the user trials. To capture these images, the 7-DoF robotic system was programmed to scan the tissue phantom with a constant US probe contact force in a fully-autonomous position-controlled manner. The fully autonomous scan thus contains images captured as if the semi-autonomous controller had both “ideal” force and position tracking performances. Each of the ground-truth images shows a $B_x - B_z$ planar slice of the breast phantom, with each image taken on an evenly spaced 5 mm grid (in the $B_x - B_y$ plane) over the entire tissue phantom. For the fully autonomous scan and the user trials, a target contact force of 3 N was used as this force was empirically found to offer acceptable image quality with minimal tissue deformation.

<table>
<thead>
<tr>
<th>User Trial</th>
<th>Average SSD Score</th>
<th>Min SSD Score</th>
<th>Max SSD Score</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>6.65(±1.10)</td>
<td>4.99</td>
<td>8.08</td>
</tr>
<tr>
<td>2</td>
<td>7.55(±0.49)</td>
<td>5.86</td>
<td>7.95</td>
</tr>
<tr>
<td>3</td>
<td>7.56(±0.32)</td>
<td>6.75</td>
<td>8.01</td>
</tr>
<tr>
<td>4</td>
<td>7.11(±0.92)</td>
<td>5.59</td>
<td>8.24</td>
</tr>
<tr>
<td>5</td>
<td>6.99(±0.40)</td>
<td>6.02</td>
<td>7.56</td>
</tr>
<tr>
<td>6</td>
<td>6.70(±0.96)</td>
<td>4.40</td>
<td>7.98</td>
</tr>
<tr>
<td>7</td>
<td>7.19(±0.75)</td>
<td>5.52</td>
<td>8.03</td>
</tr>
<tr>
<td>8</td>
<td>6.79(±1.09)</td>
<td>4.73</td>
<td>8.15</td>
</tr>
<tr>
<td>9</td>
<td>6.21(±0.84)</td>
<td>4.71</td>
<td>7.45</td>
</tr>
<tr>
<td>10</td>
<td>6.75(±0.75)</td>
<td>4.62</td>
<td>7.73</td>
</tr>
</tbody>
</table>

(a) US image captured during user trial.  
(b) Nearest ground truth image.  
(c) Registration of the images in Fig. 5(a) and Fig. 5(b).  
(d) Normalized cross-correlation between the images in Fig. 5(a) and Fig. 5(b) after registration.

Fig. 5. US image registration and SSD measurement.
For the user trials, the probe held by the robotic assistant was placed at a predefined starting point on the breast phantom. The user was asked to scan from one side of the tissue phantom to the other three times in a forward-backward-forward pattern. Ultrasound images, denoted by $U_{US}(px,py)$ (in the ultrasound frame $\{U\}$), were captured by the system as the user scanned over the phantom. These images are then compared to the to the nearest ground-truth image $G_{US}(px,py)$ from the fully autonomous scan. The image quality of the semi-autonomous controller was measured by evaluating the sum of squared differences (SSD) [20] between the user and ground truth images; see Figures 5(a), 5(b), and 5(d).

Rigid registration was used to align the user trial and ground truth images for SSD calculation, thus removing any rotational and translational offset between them. This registration step is required because the user is free to move the ultrasound probe as they wish during the scan and therefore the position at which a semi-autonomous trial image is captured wasn’t constrained to correspond to the ground-truth image locations. While in general non-rigid registration would be required for US-image to US-image registration [21], this would have removed any scaling differences between the two image sets caused by suboptimal probe orientation control.

For registration, minimum eigenvalue feature points common to each of the two images were found and the transform $G = U T^u P$ between these matched points in the two images was calculated, as shown in Fig. 5(c). The transform performs rigid registration between the two images, given by

$$GT = \begin{bmatrix}
\cos \phi & -\sin \phi & 0 & t_x \\
\sin \phi & \cos \phi & 0 & t_y \\
0 & 0 & 1 & 0
\end{bmatrix}
$$

where $\phi$ is the angular offset between the two images and $t_x$ and $t_y$ are the $x$ and $y$ transitional offsets between the two frames.

As the user was allowed to scan the phantom as they wished, the scanning time for each user trial is different. To compensate for this in the results shown in Table I, a set of 100 evenly spaced (across the total time of the scan) images from each user trial were compared to the nearest ground-truth images. The mean of the image based SSD value (between the user and ground-truth images) was used to score how closely the two images match and give a measure of image quality. A semi-autonomous trial US image which exactly matches the ground-truth fully autonomous image will have an SSD score of 0 and a noisy or low-quality image will have a large SSD value. As an example, when poor contact is made between the probe and tissue, the high acoustic impedance mismatch between the probe and air will cause the output image to be substantially distorted [22], resulting in a high SSD score (greater than 30). The results in Table I show that the system achieves image quality similar to a fully-autonomous scan, at the chosen force value, for semi-autonomous control with a lay user operator.

V. CONCLUSIONS

A semi-autonomous ultrasound scanning robotic assistant was presented in this work with the goal of minimizing tissue deformation and increasing imaging repeatability. Control of probe/tissue contact and the angle of the probe on the tissue surface was performed autonomously, while positioning of the probe along the surface of the breast was controlled by the human operator through the use of an admittance controller. A feasibility study was performed to evaluate imaging quality. Scans of a phantom tissue with a simulated seroma were performed with two sets of trials, one involving a human-in-the-loop and the other with fully-autonomous robot control. Image registration between the obtained ultrasound images of the two image sets showed that the system achieved reasonable image quality while allowing the user to freely scan the tissue.

Future work will involve user trials to find a balance between probe control performance, image quality, and a subjective ease-of-use metric for the system. Several improvements to the system are also desired. First, a snap-to-grid modality will be highly beneficial for increasing imaging repeatability, where the robot moves to the nearest point on a grid of attractor points overlaid on the tissue. A stability analysis of this system will also have to be performed. Implementation of an impedance controller as opposed to an admittance controller will also be beneficial for improving interactions with human tissue and for PHRI. Alternatively, a mechanically backdriveable, lightweight and patient-safe robot can be used. Optimizing the pose of the robot and the design of the probe attachment will also be investigated in order to maximize the workspace available.

REFERENCES


